ACTIVITY 4: Profit, profit, profit... for all! Answer Key

1. When does profit maximization occur? What does that look like for this company?

Marginal Cost = Marginal Revenue

 $0.000009x^2 - 0.08x + 200 = -0.04x + 300$

2. How much of this item should this company produce?

X = 6228. Students can solve this using a Graphing Calculator or using calculus.

3. What is the profit function P(x) for this particular company?

$$\mathsf{P}(\mathsf{x}) = \mathsf{R}(\mathsf{x}) - \mathsf{C}(\mathsf{x})$$

 $P(x) = -0.02x^2 + 300x - 0.000003x^3 - 0.04x^2 + 200x + 70,000$

4. What is the maximum profit this company can make according to your findings?

P(6228) = \$603,844

5. Select any other level of output than what you found in number 4 and verify that it produces a smaller profit (or greater loss) than what we found using calculus.

Answers may vary.